



# Panel Session 1

## Background: QALYs and Thresholds

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See:

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## Outline

- What is a threshold?
- What is a QALY?
- How does it relate to WTP?
  - Must relate to preferences
- How does it relate to Opportunity cost of health care?
  - Must relate to health benefit derived
- How are either related to thresholds?

## Incremental cost-effectiveness ratio (ICER)

$$ICER = \frac{\Delta \text{costs}}{\Delta \text{effectiveness}} = \frac{Cost_{int} - Cost_{comp}}{Eff_{int} - Eff_{comp}}$$

- Higher *ICERs* indicate lower cost-effectiveness
- But what does this *ICER* tell the decision makers?
- A new intervention is found to be more effective and more expensive but.....
- It is necessary to have further information to determine whether society considers this additional benefit to be worth the additional cost involved
- To do this, an **external value** system is needed - something to compare the *ICER* to:
  - 'Cut-off point', 'ceiling value', threshold ( $\lambda$ ) for the *ICER*
  - $\lambda$  represents the maximum amount society is willing to pay for a unit increase in health benefits (**maximum price (WTP) or shadow price of a unit increase in the health benefits**)

$$ICER = \frac{Cost_{int} - Cost_{comp}}{Eff_{int} - Eff_{comp}} < \lambda$$

## QALYs & WTP (Broome, 1993)

- Fairly well known that QALYs find it difficult to meet the axioms of expected utility
- Broome (1993) picks up on a number of issues
- Discounting implies separability  $V(q_1, q_2, \dots, q_y) = v(q_1) + r_2 v(q_2) + \dots + r_y v(q_y)$ 
  - Where  $v$  are value functions measuring good/benefit of each  $q$
  - Separability can hold if individual risk-neutral
- Then we get the EU function  $E(u(V(q_1, q_2, \dots, q_y))) = E(u(v(q_1) + r_2 v(q_2) + \dots + r_y v(q_y)))$
- Note that the EUs [ $u(\dots)$ ] are attached to the  $v(\dots)$ s and it is the  $v(\dots)$ s that are additively separable
  - And therefore linearly transformable and therefore *cardinal* measures
  - It is NOT the "q"s (the quality of life measures) that are cardinal measures
- He reconciles by introducing goodness or benefit measures of "q"

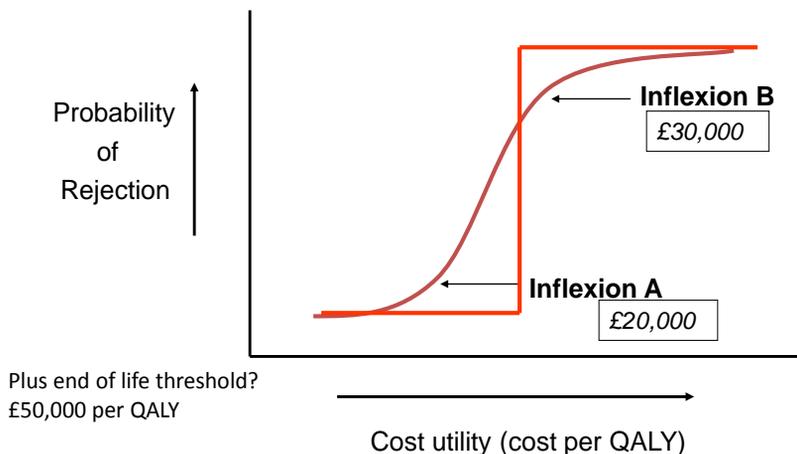
$$D(q_1, q_2, \dots, q_y) = g(q_1) + \rho_1 g(q_1) + \dots + \rho_y g(q_y)$$

$\rho$ =discount rate

## QALYs & WTP (Broome, 1993)

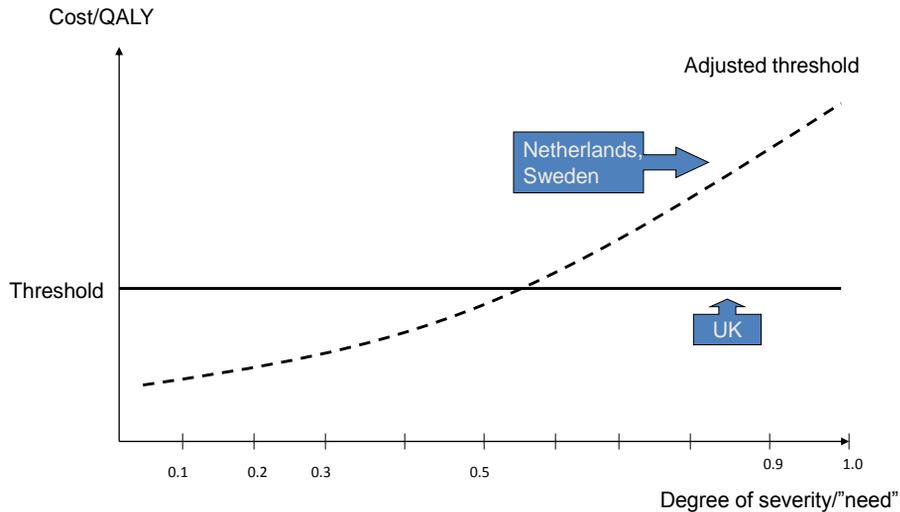
- So the  $g(.)$  &  $v(.)$  functions are related through some transformation
- The QALY [ $v(.)$ ] is some transform of the good/benefit [ $g(.)$ ] function
- QALYs assign values to these “states of health” but are determined by how people feel in these states of health, their preferences or by some objective principle
- We simply do not know how QALYs relate to preferences
- Moreover in adjudicating *across* individuals we need additional weights
- Difficult to come by if we do not know the  $v(.)$  to  $g(.)$  transform
- Basically QALYs cannot easily be related to WTP and require additional information to represent “societal” values
- Could relate to value of a statistical life – but really?

## The Cost Effectiveness (WTP) Threshold and how NICE works it out



Source: Cookson, 2007

**Explicit Value Judgements: Equity / "need" adjusted reimbursement decisions compared with a constant cost-effectiveness threshold**



## QALYs and opportunity cost

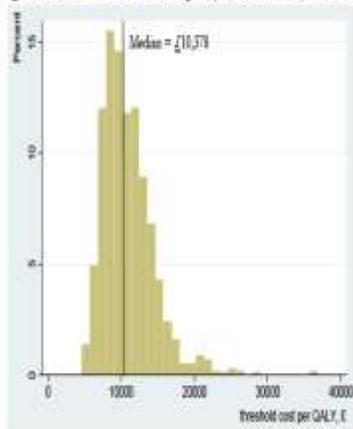
- QALYs can be taken as value to individual of state of health as it relates to health benefit
- Easier jump to make that any "valuation" can be made on a revealed preference basis
- Value of the opportunity cost of resources currently devoted to producing a health state
- Assumes "rationality" in decision making

## QALYs and opportunity cost

- In England approach to take QALYs =f(health expenditure)
- Martin et al (2008), Klaxton (2013)
- Essentially QALYs related to 23 programme budget areas within the NHS
- Econometrically derived
- Say essentially
- $H_{ij} = \alpha + \beta x_{ij} + \phi n_{ij} + \varepsilon_{ij}$  (with a related expenditure equation)
- H=QALY; x=expenditure; n=population health needs
- Still being worked on
  - Data (needs, QALY conversions, assigning “overheads”, etc etc)
  - Endogeneity issues
  - IV estimates
  - Essential equations based on mortality changes converted into LYG, then QALYs
- But first systematic attempt to produce opportunity cost based QALY thresholds
- Lots of estimates based on various assumptions

## QALYs and opportunity cost

Figure C.6 Distribution of the cost per QALY threshold (all 23 PBCs)



Source: Claxton et al, 2013

- Estimated for 23 programme budget areas
  - Give different values
  - Inefficient or Inconsistent?
  - Or diseases weighted differently?
- Could pick any number of estimates
- Let's take the median after a number of adjustments to be £10,378 per QALY
- Tested for model & parameter uncertainty
- Relatively stable
  - Well below current threshold
  - Correct?

## Conclusions

- QALY difficult to define formally as a preference
- Therefore difficult to define as WTP
- Could be under a number of assumptions
- QALY must have an opportunity cost
- Difficulties in measuring this
- In both case societal weights required

## Conclusion

$$ICER = \frac{\Delta \text{costs}}{\Delta \text{effectiveness}} = \frac{Cost_{int} - Cost_{comp}}{Eff_{int} - Eff_{comp}}$$

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